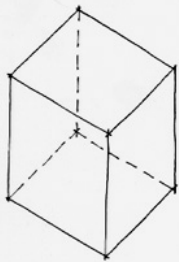


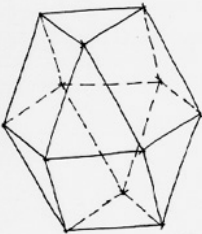
THE CONSTRUCTION OF THE RHOMBIDODECAHEDRON.



THE CUBE :

One of the five regular polyhedrons.  
Number of vertices  $V = 8$   
Number of edges  $E = 12$   
Number of faces  $F = 6$

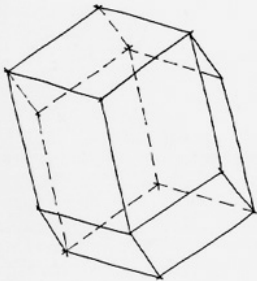
If the cube is truncated at each vertex by planes passing through the middle points of the edges the resulting solid is . . . .



THE CUBEOCTAHEDRON :

One of the 13 semiregular polyhedrons.  
All faces are regular but not identical, all vertices are identical but not regular.  
Number of vertices  $V = 12$   
Number of edges  $E = 24$   
Number of faces  $F = 14$

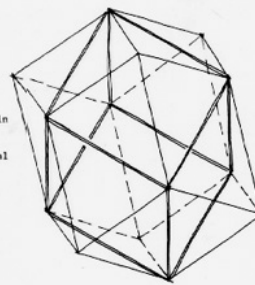
If the number of vertices and the number of faces are exchanged ( 14 vertices, 12 faces ) the resulting solid ( the dual of the cuboctahedron ) is . . . .



THE RHOMBIDODECAHEDRON :

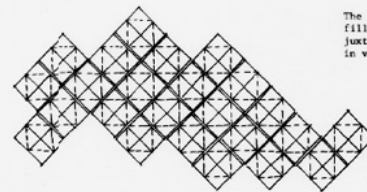
One of the 13 semiregular duals.  
All faces are identical but not regular, all vertices are regular but not identical.

A cube can be inscribed in a rhombidodecahedron:  
All edges of the cube represent a short diagonal of all faces.

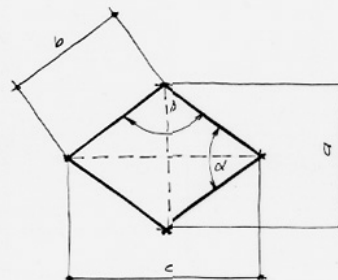


Assuming hinged joints at all vertices the new polyhedron is indeformable ( or stable ) because it satisfies the "Floppé Formula":

$$\begin{aligned} \text{Number of edges} &= 3 \times \text{number of joints} - 6 \\ E &= 3V - 6 \\ 36 &= 3 \times 14 - 6 \end{aligned}$$



The rhombidodecahedron is a space-filling solid. This diagram shows the juxtaposition with the long diagonals in vertical position.



GEOMETRICAL DATA :

a		17.500'
b	$a/2\sqrt{3}$	15.186'
c	$a\sqrt{2}$	24.745'
$\alpha$	$\tan^{-1} \frac{1}{2} \sqrt{2}$	$\alpha = 70^{\circ}32'$
$\beta$	$\tan^{-1} \frac{1}{2} \sqrt{2}$	$\beta = 109^{\circ}28'$
$\omega$		120°



## Indian Carry Resort

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5		
6		
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8		
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10		
11		
12		
13		
14		
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